Content-Based Communication: The *Network* Underneath Event Processing

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- "telephone service"
- "postal service"

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An address can represent a group of hosts

- multiple host may join the same group
- a host may join multiple groups



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Publish/subscribe differs from IP multicast only insofar as it is content-based



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- Senders send messages (without specifying a destination)
- Message m goes to all interested receivers

Application Domains

- Publish/subscribe communication
- News distribution
- System/network monitoring and management
- Intrusion detection
- Service discovery and brokering
- Peer-to-peer data sharing
- Distributed electronic auctions
- Multi-player games
- Caching systems

Messages

Example: *a set of attributes*

```
alert-system = "IT-ANAS"
alert = "conjection"
cause = "accident"
date = [20/Aug/2006:06:14:40 +0200]
location-road = "A1"
location-km = 231
location-dir = "North"
delay-min = 35
detour-info = "sms:3141592653/5897"
report-to = "sms:2718281828/4590"
```

Predicates

Example: an expression of attribute constraints



Content-Based Networking

Content-based communication (a.k.a., "pub/sub") designed and implemented as a network service

- architecture
- routing
- forwarding
- ▶ ...

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Host interface

- ► send(m)
- set_predicate(p)
- Type of service
 - datagram service (i.e., "best effort")

Content-Based Routing



Where and how to forward *m*?

Based on which kind of routing information?





- Routing protocol propagates predicates
- Forwarding state "attracts" messages towards matching predicates





A message m is treated as a broadcast packet



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- But only forwarded along matching paths

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 - a "content-based" firewall?
 - routing policies

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 - a "content-based" firewall?
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What is the complexity of content-based routing?

- theoretical basis for content-based networking
- correctness and complexity (memory requirements)
- Iower bounds

- Routing: any good idea?
 - peer-to-peer network models and protocols
 - new old ideas: broadcast (as in link-state routing) and almost-random walks

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Some Research Questions (2)

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- How do we evaluate our protocols and systems?
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- How do we preserve the *privacy* of receivers?
 - we want predicates to remain confidential, and at the same time allow the (untrusted) network to do its job

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- Routing: any good idea?
 - peer-to-peer network models and protocols
 - new old ideas: broadcast (as in link-state routing) and almost-random walks
- How do we evaluate our protocols and systems?
 - we need good models of networks and applications
- How do we preserve the privacy of receivers?
 - we want predicates to remain confidential, and at the same time allow the (untrusted) network to do its job
- Is there a *content-based middleware*?
 - traditional subscriptions, content directories, etc.
 - synthesis of predicates, integration with applications, etc.

Menu

- A concrete routing protocol
- A concrete forwarding algorithm
- Theory of content-based routing
- Security in content-based networking
- Conclusions

Part I

A Concrete Routing Protocol

Content-Based Routing



Content-Based Routing



- Routing protocol propagates predicates
- Forwarding state "attracts" messages towards matching predicates

Content-Based Forwarding



Content-Based Forwarding



Every message m is treated as a broadcast packet

Content-Based Forwarding



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CBCB Routing Scheme

Combined Broadcast and Content-Based Routing

- A broadcast layer takes care of avoiding loops
- A content-based layer forms forwarding state out of predicates

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Broadcast Layer

- Well-known techniques
- A few additional requirements

Content-Based Routing

- "Push" propagation of predicates (RA protocol)
- "Pull" propagation of predicates (SR/UR protocol)

Receiver Advertisements (RA)

 Receiver advertisements (RAs) push predicates from receivers out to all potential senders

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Forwarding/routing table associates a predicate with each interface

Covering Relation

■ Covering relation p ≺ q: q covers p when every message matching p also matches q

$$p \prec q \stackrel{\text{def}}{=} \forall m : p(m) \Rightarrow q(m)$$

Represents the content-based <u>subnet</u> address relation

■ RA propagation stops when a new predicate is *covered* by an old one (*p_{RA} ≺ p*)

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■ Table update in RA protocol: $p \leftarrow p \lor p_{RA}$ notice that $(p \lor p_{RA} = p) \Leftrightarrow (p_{RA} \prec p)$

 Content-based RA ingress filtering generates an "inflation" of content-based addresses

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Node 6 could now receive (from node 4) unwanted messages, i.e., messages that match p₆, but not p'₆





- Node 5 uses the URs to update its table
- Node 3 does not update its table...



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Options and Optimizations

The SR/UR protocol can be expensive

- URs can be cached and reused, depending on the network topology
- the SR/UR protocol can be triggered by the amount of *false* positives

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The SR/UR protocol can be expensive

- URs can be cached and reused, depending on the network topology
- the SR/UR protocol can be triggered by the amount of *false* positives
- Both RA and SR/UR manage complex predicates
 - updates in RAs (p ← p ∨ p_{RA}) and URs (p_{UR} ← p₁ ∨ p₂ ∨ ... ∨ p_k) can be "simplified"

Caching and Reusing URs



Node 4 may reuse the update reply received from node 6

because the 4–6 link is a bridge

CBCB Evaluation

• We implemented and tested CBCB within a simulator

Evaluation goals

- main functionality: does the protocol deliver messages to nodes that are interested in them?
- traffic filtering: does the protocol prevent unnecessary message traffic?
- protocol scalability: does the protocol produce a reasonable and stable amount of control traffic?

Main Functionality



Traffic Filtering



Control Traffic Stability



Summary of CBCB Routing

- Content-based routing protocol
- Generic networks (i.e., unrestricted topology)
- Idea 1: use a broadcast layer
- Idea 2: use a "push/pull" routing protocol
- Good behavior for both functionality and stability
- Software and documentation available at http://www.cs.colorado.edu/serl/cbn/

Part II

A Concrete Forwarding Algorithm
■ Forwarding table: *interface* ↔ *predicate*



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- Broadcast forwarding (or other constraints)



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- Forwarding table: *interface* ↔ *predicate*
- Broadcast forwarding (or other constraints)
- Content-based forwarding



Predicates and Messages

predicate
dest = "ATL"
price < 500
stock = "DYS"
quantity > 1000
price < 500
dest = "JFK"
price < 200
airline $=$ "UA"
orig = "DEN"
dest = "ATL"

message

 $\begin{array}{l} \text{airline} = \text{``UA''} \\ \text{price} = 248 \\ \text{orig} = \text{``DEN''} \\ \text{dest} = \text{``ATL''} \\ \text{upgrade} = \text{false} \end{array}$

Predicates and Messages



- Predicate: a disjunction of filters
- Filter: a conjunction of constraints
- Constraint: a condition on the value of an attribute

Matching Problem

forwarding table

	dest = "ATL"
	price < 500
I_1	stock = "DYS"
-	quantity > 1000
	price < 500
	airline = "UA"
	orig = "DEN"
	dest = "ATL"
	dest = "JFK"
I ₂	price < 200
	orig = "DEN"
	airline = "UA"
	upgrade = true
L.	stock = "MSFT"
13	price < 200



Matching Problem





Matching Problem

forwarding table

	dest = "ATL"
	price < 500
I_1	stock = "DYS"
•	quantity > 1000
	price < 500
	airline $=$ "UA"
	orig = "DEN"
	dest = "ATL"
	dest = "JFK"
I_2	price < 200
	orig = "DEN"
	airline = "UA"
	upgrade = true
1	stock = "MSFT"
13	price < 200



Target: forwarding table containing millions of constraints

Matching Strategies

Naïve

evaluate constraints one by one

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- evaluate constraints one by one
- Index-based
 - build an index structure for the forwarding table
 - define a look-up algorithm

Matching Strategies

Naïve

- evaluate constraints one by one
- Index-based
 - build an index structure for the forwarding table
 - define a look-up algorithm
 - walk through the index as in a decision diagram [Gough+:ACSC95, Aguilera+:PODC99, Campailla+:ICSE01]
 - walk through the message [Yan+:TODS99, Fabret+:SIGMOD01, Carzaniga&Wolf:SIGCOMM03]

Predicate Index

		dest = "ATL"
	I _{1.1}	price < 500
I1		stock = "DYS"
	f _{1.2}	quantity > 1000
		price < 500
		airline = "UA"
	f ₂₁	orig = "DEN"
		dest = "ATL"
١.	f	dest = "JFK"
I ₂	¹ 2.2	price < 200
	f _{2.3}	orig = "DEN"
	f.	airline = "UA"
	¹ 2.4	upgrade = true
1.	f _{3.1}	stock = "MSFT"
13		price < 200

Predicate Index



constraint index

Predicate Index



Matching Algorithm

```
proc counting_CBF(Message msg) {
  map<Filter,int> counters \leftarrow \emptyset
  set<Interface> exclude 

broadcast_exclude(msg)
  foreach attribute in msg {
     set < Constraint > C \leftarrow find_matching_constraints(attribute)
     foreach constraint in C {
       foreach filter in constraint.filters {
          if filter.interface ∉ exclude {
            if filter ∉ counters {
               counters \leftarrow counters \cup (filter,0) }
            counters[filter] \leftarrow counters[filter] + 1
             if counters[filter] = filter.size {
               output(msg, filter.interface)
               exclude \leftarrow exclude \cup {filter.interface}
               if |exclude| = total_interface_count {
                  return } } } } } }
```

Matching Algorithm

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                  return } } } } } }
```

message
airline $=$ "UA"
fare = "T"
price = 248
orig = "DEN"
dest = "ATL"
upgrade = false

// local variables excluded = $\{I_3\}$ output = \emptyset



message
airline = "UA"
fare = "T"
price = 248
orig = "DEN"
dest = "ATL"
upgrade = false

 $\label{eq:local_variables} \begin{array}{l} \mbox{// local_variables} \\ \mbox{excluded} = \{ \textit{I}_3 \} \\ \mbox{output} = \emptyset \\ \mbox{counter}[f_{2,1}] = 1/3 \\ \mbox{counter}[f_{2,4}] = 1/2 \end{array}$



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message
airline $=$ "UA"
fare = "T"
price = 248
orig = "DEN"
dest = "ATL"
upgrade = false

// local variables excluded = { I_3 } output = 0 counter[$f_{2,1}$] = 1/3 counter[$f_{2,4}$] = 1/2 counter[$f_{1,1}$] = 1/2 counter[$f_{1,2}$] = 1/3









 $\begin{array}{l} \textit{// local variables} \\ \text{excluded} = \{\textit{I}_3,\textit{I}_2,\textit{I}_1\} \\ \text{output} = \{\textit{I}_2,\textit{I}_1\} \\ \text{counter}[f_{2,1}] = 2/3 \\ \text{counter}[f_{2,4}] = 1/2 \\ \text{counter}[f_{1,1}] = 2/2 \\ \text{counter}[f_{1,2}] = 1/3 \\ \text{counter}[f_{2,3}] = 1/1 \end{array}$



message
airline = "UA"
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price = 248
orig = "DEN"
dest = "ATL"
upgrade = false

// local variables excluded = $\{I_3, I_2, I_1\}$ output = $\{I_2, I_1\}$ counter[$f_{2,1}$] = 2/3 counter[$f_{2,4}$] = 1/2 counter[$f_{1,1}$] = 2/2 counter[$f_{1,2}$] = 1/3 counter[$f_{2,3}$] = 1/1



Evaluation

- C++ implementation
- Synthetic workloads
- Experiments on a 950Mhz computer with 512Mb

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- Synthetic workloads
- Experiments on a 950Mhz computer with 512Mb
 - okay, remember that this was done in 2002
 - much better results today thanks to progress in CPU speeds

Workload Parameters

- Messages: 5–10 attributes
- Filters: 1–6 constraints
- Attributes and values: dictionary of 1000 words with Zipf distribution
- Operators
 - integers: 60% equality, 20% less-than, and 20% greater-than
 - strings: 35% equality, 15% prefix, 15% suffix, 15% substring, 10% less-than, and 10% greater-than
- Forwarding table: up to 5M constraints, from 2 interfaces to 1M interfaces

Main Results



message
airline $=$ "UA"
fare = "T"
price = 248
orig = "DEN"
dest = "ATL"
upgrade = false

// local variables excluded = $\{I_3\}$ output = \emptyset





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message airline = "UA" fare = "T" price = 248 orig = "DEN" dest = "ATL" upgrade = false

// local variables excluded = $\{I_3\}$ output = \emptyset counter[f_{2,1}] = 1/3 counter[f_{2,4}] = 1/2 counter[f_{1,1}] = 1/2 counter[f_{1,2}] = 1/3



f_{1.1}:2



// local variables orig excluded = $\{I_3\}$ stock $output = \emptyset$ counter $[f_{21}] = 1/3$ $counter[f_{24}] = 1/2$ counter $[f_{1,1}] = 1/2$ counter[$f_{1,2}$] = 1/3

quantity > 1000 < 500 price < 5001 > 1000 f_{1.2}:3 pricequantity ="UA f_{2.1}:3 airline ="ATL"f_{2.2}:2 dest-="JFK" 12 ="DEN' f_{2.3}:1 upgrade ="DYS" f_{2.4}:2 ="MSF1 f_{3.1}:2 = true-13 Useless—the message will never match $f_{1,2}$

< 200

stock = "DYS"

Idea: Bloom Filters

We can use *Bloom filters* to represent set of names in a filter f and in a message m

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filter f

stock = "DYS" quantity > 1000 price < 500

 $B_f = [0010010010]$
Idea: Bloom Filters

We can use *Bloom filters* to represent set of names in a filter *f* and in a message *m*



If $B_m \not\supseteq B_f$ then we can immediately skip f (i.e., we don't bother maintaining a counter for f, and we don't look up f's interface, etc.)

Observations on Bloom Filters

- Bloom filters for filters (B_f) are computed statically with the forwarding table
- B_m is computed dynamically, but we can use very simple hash functions
- The complexity of checking $B_f \subseteq B_m$ is O(1)in C: (Bf & Bm) == Bf
- False positives do not affect correctness
- The idea works with messages with sets of attributes that do not always "cover" filters

Experimental Results



I5000,f2,c10,a20 I500,f20,c10,a20 I50,f200,c10,a20 I5,f2000,c10,a20 I10000,f40,c10,a20 I1000,f400,c10,a20 I100,f4000,c10,a20 I5000,f2,c1,a1 I500,f20,c1,a1 I50,f200,c1,a1 I5,f2000,c1,a1 I100000,f4,c1,a1 I10000,f40,c1,a1 I1000,f400,c1,a1 1100.f4000.c1.a1

A Further Improvement

Observation:

By excluding interfaces, we can short-circuit the evaluation of a message and speed up forwarding

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Idea:

- Compute a table of "selective" attributes
 - an attribute a is selective for an interface i if a must exist in a message m in order for m to match P_i
 - i.e., a must appear in every conjunct of the disjunct P_i
- Use the selectivity table to exclude interfaces from processing (selectivity preprocessing)

Selectivity Table Example

forwarding table

I ₁	dest = "ATL"
	price < 500
	stock = "DYS"
	quantity > 1000
	price < 500
I ₂	airline $=$ "UA"
	orig = "DEN"
	dest = "ATL"
	dest = "JFK"
	price < 200
	orig = "DEN"
	airline = "UA"
	upgrade = true
I ₃	stock = "MSFT"
	price < 200

Selectivity Table Example

forwarding table dest = "ATL"price < 500stock = "DYS"1 quantity > 1000 price < 500airline = "UA" orig = "DEN"dest = "ATL"dest = "JFK" I_2 price < 200orig = "DEN"airline = "UA" upgrade = truestock = "MSFT" l₃ price < 200

selectivity table

price	I ₁ , I ₃
stock	l ₃

Selectivity Preprocessing

map<Name, set<Interface>> selectivity_table
int preprocessing_rounds

```
proc preprocess(Message msg, set<Interface> exclude) {
  int rounds \leftarrow preprocessing_rounds
  foreach (attribute, selectivity) in selectivity_table {
    if rounds = 0
       return exclude
     rounds \leftarrow rounds -1
     if attribute \notin msg {
       exclude \leftarrow exclude \cup selectivity
       if |exclude| = total_interface_count
          return exclude
  return exclude
```

Sensitivity to Preprocessing



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Summary of C-B Forwarding

- Focus on performance and scalability
- Predicate index with lookup based on iteration over the input message
- Novel ideas
 - short-circuit evaluation of disjunctions
 - use Bloom filters to exclude conjunctions
 - use (absence of) selective attributes to exclude entire disjunctions
- Experiments show good absolute performance and a synergistic behavior of our optimizations
- Software and documentation available at http://www.inf.unisi.ch/carzaniga/cbn/

Part III

Theory of Content-Based Routing

Content-Based Routing



Where and how to forward *m*?

Based on which kind of routing information?

Theory of Content-Based Routing

State of the art

- a number of concrete routing protocols (including ours)
- validation through simulation
- focus on the exchange of routing information

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New research: theoretical foundations of content-based routing

- provable properties of a protocol
- properties of content-based routing
 - ► i.e., properties of any protocol
- focus on routing state (i.e., memory complexity)

Research Plan

Models

- network model
- general model of content-based routing (forwarding)
- model of routing information and its space complexity
- Analysis of specific routing protocols
 - upper bounds for the space complexity of content-based routing
- New improved routing protocols
 - design of light-weight content-based routing protocols
- General analysis
 - Iower bounds

Content-Based Network Model



 $\blacksquare CBN = (V, E, weight, \mathcal{M}, \mathcal{P}, pred)$

- $v \in V$ is a processor (host or router)
- $e \in E$ is a reliable bidirectional communication link
- weight : $E \rightarrow \mathbb{R}$ is a link-weight function

Content-Based Network Model



 $\blacksquare CBN = (V, E, weight, \mathscr{M}, \mathscr{P}, pred)$

- $v \in V$ is a processor (host or router)
- $e \in E$ is a reliable bidirectional communication link
- weight : $E \rightarrow \mathbb{R}$ is a link-weight function
- *M* is a set of *messages*
- \mathscr{P} is a set of *predicates*; $p \in \mathscr{P}$ is a function $p : \mathscr{M} \to \{0, 1\}$
- ▶ *pred* : $V \rightarrow \mathscr{P}$ associates a processor $v \in V$ to a predicate $p \in \mathscr{P}$

Content-Based Routing Scheme

Extension of a standard model by Peleg and Upfal [JACM'89]

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Messages travel in packets

$$c = \langle m, h \rangle$$

- m = msg(c) is a message; $m \in \mathcal{M}$
- h = hdr(c) is a header, $h \in \mathscr{H}$
- ▶ a scheme defines *ℋ*, the set of allowable message headers

Packets are forwarded hop-by-hop from source to destinations

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$$c = \langle m, h \rangle$$

- m = msg(c) is a message; $m \in \mathcal{M}$
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- ▶ a scheme defines *ℋ*, the set of allowable message headers
- Packets are forwarded hop-by-hop from source to destinations
- A routing scheme is a distributed algorithm consisting of per-processor, processor-local routing functions
 - (re)writing packet headers
 - deciding where to forward a packet

For each processor v

For each processor v

Initial header function

 $\operatorname{Init}_{V}:\mathscr{M}\to\mathscr{H}$

given a message *m* originating at *v*, $\text{Init}_v(m)$ is *m*'s initial header, so *v* proceeds by forwarding a packet $c = \langle \text{Init}_v(m), m \rangle$

For each processor v

Initial header function

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Header (rewriting) function

 $\operatorname{Hdr}_{V}:\mathscr{H}\to\mathscr{H}$

given a packet $c = \langle h, m \rangle$, v forwards $c' = \langle Hdr_v(h), m \rangle$

For each processor v

Initial header function

 $Init_{v}:\mathscr{M}\to\mathscr{H}$

given a message *m* originating at *v*, $\text{Init}_v(m)$ is *m*'s initial header, so *v* proceeds by forwarding a packet $c = \langle \text{Init}_v(m), m \rangle$

Header (rewriting) function

 $\operatorname{Hdr}_{V}:\mathscr{H}\to\mathscr{H}$

given a packet $c = \langle h, m \rangle$, v forwards $c' = \langle Hdr_v(h), m \rangle$

Forwarding function

$$\mathbf{Fwd}_{\mathbf{v}}: \mathscr{H} \times \mathscr{M} \to \mathbb{P}(\operatorname{neighbors}(\mathbf{v}))$$

v forwards $c = \langle h, m \rangle$ to the subset of its neighbors $\mathbf{Fwd}_v(h, m)$

Idea



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- Idea
 - per-source spanning trees T_v



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Idea

- per-source spanning trees T_v
- ► annotate edges e = (u, w) in T_v with the disjunction of the predicates of processor w and all its descendents in T_v
- processor-local functions F store edge annotations



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PSF Scheme

Headers are used to store the source of a message

$$\mathscr{H} = V$$

$$\operatorname{Init}_{v}(\cdot) = v$$

 $\mathbf{Hdr}_u(v) = v$

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Processor *u* forwards $c = \langle v, m \rangle$ using F_u

$$\mathbf{Fwd}_u(v,m) = \{w | m \in F_u(v,w)\}$$

notation extension: if *p* is a predicate, $m \in p$ means p(m) = 1

Analysis of PSF

- It is easy to prove that PSF is correct
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- It is easy to prove that PSF is correct
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- How "expensive" is PSF?
- How much memory does it require?
 - focus on the total memory requirement
- Preliminary additional definitions
 - M(X) denotes the memory requirements of a function or set X
 - e.g., processor v uses $M(Hdr_v)$ bits to represent its Hdr function
 - n = |V|, therefore $M(v) = O(\log n)$
 - $S \subseteq V$ is a given set of senders, with s = |S|
 - $R \subseteq V, R = \{u \in V | pred(u) \neq \emptyset\}$, is the set of receivers, r = |R|

Memory Requirements of PSF

$$M(PSF) = \sum_{u \in V} \left(M(\operatorname{Init}_u) + M(\operatorname{Hdr}_u) + M(\operatorname{Fwd}_u) \right)$$

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- Hdr has zero memory requirements
- The memory requirement of Fwd boils down to that of F

$$M(\mathbf{Fwd}_u) = M(F_u)$$

The total memory requirement of Fwd is the sum of the memory requirements of each per-source tree

$$\sum_{u\in V} M(F_u) = \sum_{v\in S} M(T_v)$$
• Memory requirement of a source-rooted tree T_v

$$M(T_{v}) = \sum_{u \in V} M(F_{u}(v, \cdot))$$

• Memory requirement of a source-rooted tree T_v



Memory requirement of a source-rooted tree T_v



Total memory requirement for PSF

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 $\forall u \in R : M(pred(u)) = M_p$

- senders and receivers are uniformly distributed
- Let *d* be the average distance between two processors

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$$M(PSF) = O(n^2 \log \log n)$$





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The previous analysis and results assume that, e.g., $M(p_2 \lor p_3) = M(p_2) + M(p_3)$

In general, $M(p_2 \lor p_3) \le M(p_2) + M(p_3)$

• e.g., $p_2 = (\text{port} > 1000) \land (\text{port} < 3000)$ and $p_3 = (\text{port} > 2000) \land (\text{port} < 4000)$ can be combined in the disjunction $p_2 \lor p_3 = (\text{port} > 1000) \land (\text{port} < 4000)$

Disjunction Advantage

■ Given a set of predicates *P* = {*p*₁, *p*₂,...,*p*_n}, we define the *disjunction advantage*

$$\alpha(P) = \frac{M(p_1 \lor p_2 \lor \ldots \lor p_n)}{M(p_1) + M(p_2) \cdots + M(p_n)}$$

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In the case $M(p_1) \approx M(p_2) \approx \ldots \approx M(p_n) \approx M_p$, we define

$$\alpha(k) = \frac{M(p_1 \vee p_2 \vee \ldots \vee p_k)}{kM_p}$$

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How does α affect the space complexity of a given scheme?

Can we quantify α ?

α in a Generic Predicate Model

A predicate p ∈ 𝒫 is a subset of a finite universe of messages 𝔐, therefore M(p) = p log |𝔐|

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Assuming a uniform distribution of predicates p of size |p| = h

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E(|P|) is the expected size of the union of *n* random sets of size *h*

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$$\Pr[m \in P] = 1 - \left(1 - \frac{h}{|\mathcal{M}|}\right)^n \approx 1 - e^{-\frac{nh}{|\mathcal{M}|}}$$

expected size of P and then the expected disjunction advantage

$$\mathrm{E}(\alpha) = \frac{|\mathcal{M}|}{nh} \left(1 - \left(1 - \frac{h}{|\mathcal{M}|} \right)^n \right) \approx \frac{|\mathcal{M}|}{nh} \left(1 - e^{-\frac{nh}{|\mathcal{M}|}} \right)$$

α in a Generic Predicate Model (2)

- Monte Carlo simulation
- Uniform vs. Zipf distribution for messages



α in a Specific Predicate Model (1)

- Monte Carlo simulation
- Disjunctive normal form of attribute constraints



α in a Specific Predicate Model (2)

- Monte Carlo simulation
- Disjunctive normal form of attribute constraints



α in a Specific Predicate Model (3)

- Monte Carlo simulation
- Disjunctive normal form of attribute constraints



α in a Specific Predicate Model (4)

- Monte Carlo simulation
- Disjunctive normal form of attribute constraints

þ 0.8 0.6 В 0.4 0.2 0 10000 100000 10^{6} 10 100 1000 conjunctions combined in one disjunction

Uniform distribution of attribute names, |A| = 500

Goal: theoretical foundations of content-based routing

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- Analysis of 4 routing protocols (3 existing, 1 new and improved)

scheme	space complexity	delivery function
PSF	$srM_{\rho}d + s\log n$	correct, minimal
iPS	$nrM_{\rho}\alpha(\frac{r}{\Delta})\dots$	correct, minimal
PIF	$n^2 r M_p \alpha(\frac{r}{\Delta}) + M(broadcast)$	correct, non-minimal
DRP	$rsM_{p} + M(unicast)$	correct, non-minimal

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- Definition and characterization of the α reduction factor
 - general model (analytical characterization)
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Future work

more protocols and perhaps lower bounds

Part IV

Security in Content-Based Networking

Security

Security

Easy part

- authentication
- privacy with a trusted network
- e.g., traditional e-mail or web security
- Difficult part
 - privacy in the presence of an untrusted network
 - we want the network to route information on the basis of message content and receiver interests. But we do not want the network to learn anything about message content and receiver interests.

Simplified content-based communication scenario



Simplified content-based communication scenario



Objectives



Simplified content-based communication scenario



Simplified content-based communication scenario



Objectives



Simplified content-based communication scenario



Objectives



Approximate Solutions

Goup anonymity

- receivers "hide" behind a trusted proxy
- limited security
- Overly generic predicates
 - Bob declares a p' covering p
 - limited security (similar to group anonymity)
- Obfuscation
 - p is given as an "obfuscated" executable
 - incompatible with efficient routing protocols
 - limited security (dubious security for p, no security for m)
- Computing over encrypted data
 - either very inefficient or very limited
Encode p and m with some K-dependent function(s)



Encode p and m with some K-dependent function(s)



• such that $p(m) \Leftrightarrow p'(m')$

Encode p and m with some K-dependent function(s)



- such that $p(m) \Leftrightarrow p'(m')$
- and such that p' and m' do not reveal anything about p and m

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- and such that p' and m' do not reveal anything about p and m
- Method: encoding using Bloom filters

Bloom Filters

- Compact data structure
- Efficient set membership test
- Probabilistic result
 - false positives are possible
 - although (hopefully) improbable

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- Compact data structure
- Efficient set membership test
- Probabilistic result
 - false positives are possible
 - although (hopefully) improbable
- One-way information compression through hash functions

Definitions

■ $U = \{x_1, x_2, ...\}$ is the universe of values we intend to represent

- A Bloom set over U is defined by
 - a bit vector B of size m
 - ▶ *k* distinct hash functions $h_1, h_2, ..., h_k$ with signature $H: U \rightarrow \{0, 1, ..., m-1\}$
- B(x) is computed as follows $B \leftarrow \emptyset$ for $i \leftarrow 1 ... k$ $B[h_i(x)] \leftarrow 1$

Using Bloom Filters

Given a set of *n* elements $S = \{x_1, x_2, \dots, x_n\}$ $B(S) \leftarrow B(x_1) \cup B(x_2) \cup \dots B(x_n)$ i.e., $B \leftarrow \emptyset$ foreach $x \in S$ for $i \leftarrow 1 \dots k$ $B[h_i(x)] \leftarrow 1$

Testing $x \in S$ amounts to testing $B(x) \subseteq B(S)$

i.e., (assuming B is implemented as an integer)

$$\mathbf{x} \in \mathbf{S} \Leftrightarrow (\texttt{Bx \& BS})$$
 == \texttt{Bx}

U is the universe of character strings; k = 2; m = 10



S = {"ciao", "foo", "bar"}







U is the universe of character strings; k = 2; m = 10







 $S = \{$ "ciao", "foo", "bar" $\}$ Test:



U is the universe of character strings; k = 2; m = 10







S = {"ciao", "foo", "bar"} Test: "foo": *yes*



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S = {"ciao", "foo", "bar"} Test: "foo": *y*es, "abc": *no*



U is the universe of character strings; k = 2; m = 10



S = {"ciao", "foo", "bar"} Test: "foo": *yes*, "abc": *no*, "xyz": *yes* (false positive)

Idea



Idea



1. Reduce *p* and *m* into sets of strings, S_p and S_m , such that $p(m) \Rightarrow S_p \subseteq S_m$

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- 1. Reduce *p* and *m* into sets of strings, S_p and S_m , such that $p(m) \Rightarrow S_p \subseteq S_m$
- 2. Represent S_p and S_m with Bloom filters, B_p^K and B_m^K (the *K* superscript means that the Bloom filters use keyed cryptographic hash functions, with key *K*)

Predicate Encoding

1. Constraint encoding

name=value (*equality* constraint)

name= any (*existence* constraint)

e.g., idmef_version>2 \rightarrow "∃idmef_version", idmef_version=2 \rightarrow "idmef_version=2"

Predicate Encoding

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 $\begin{array}{ll} name=value & (equality \ constraint) \\ name=any & (existence \ constraint) \\ e.g., \ idmef_version>2 \rightarrow "\exists idmef_version", \ idmef_version=2 \rightarrow "idmef_version=2" \end{array}$

2. A *filter f* is encoded with a set $S_f = S_f^{=} \cup S_f^{\exists}$, representing the union of equality and existence constraints

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- 2. A *filter f* is encoded with a set $S_f = S_f^{=} \cup S_f^{\exists}$, representing the union of equality and existence constraints
- 3. A predicate $P = f_1 \lor f_2 \lor \ldots \lor f_F P$ is encoded with a list of sets $S_P = \{S_1, S_2, \ldots, S_F\}$

Message Encoding

1. Every attribute *name*=*value* is encoded with two strings $s^{=} =$ "*name*=*value*" and $s^{\exists} =$ "*name*"

$$idmef_version=2 \rightarrow \begin{cases} s^{=} = "idmef_version=2" \\ s^{\exists} = "\exists idmef_version" \end{cases}$$

Message Encoding

1. Every attribute *name=value* is encoded with two strings $s^{=} =$ "*name=value*" and $s^{\exists} =$ "*name*"

$$idmef_version=2 \rightarrow \begin{cases} s^{=} = "idmef_version=2" \\ s^{\exists} = "\exists idmef_version" \end{cases}$$

2. A message $m = \{a_1, a_2, ..., a_n\}$ is therefore encoded with a set $S_m = S_m^{=} \cup S_m^{\exists}$

"Encoded" Matching

Given *P*'s encoding $B_P = \{B_{f_1}, B_{f_2}, ...\}$, and *m*'s encoding B_m , we define the *Bloom-encoded matching* relation $m \prec_B P$ as follows:

$$m \prec_B P \Leftrightarrow \exists f \in P : B_f \subseteq B_m$$

Observations

Matching an encoded message m with an encoded filter f amounts to testing inclusion of two Bloom filters

▶ in C, this may be done with (Bm & Bf) == Bf

The covering relation $f \prec g$ works exactly the same way



- Authentication and Integrity
 - traditional methods
- Privacy in the presence of an untrusted network
 - approach: encoding messages and filters
 - method: Bloom filters
- Ongoing research
 - efficient representation and processing of large sets of Bloom filters
 - ideas: BDDs



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http://www.inf.unisi.ch/carzaniga/cbn/

[menu]

Part V

Conclusions

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Content-based communication is an exciting research area

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- Several interesting open problems
 - routing
 - service interface
 - theoretical framework
 - middleware design
 - design and engineering of applications
 - security and privacy
 - sensor networks

▶ ...

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 - ▶ ...
- Several disciplines
 - networking
 - algorithms
 - systems
 - software

Content-Based Communication: The *Network* Underneath Event Processing

Antonio Carzaniga

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April 2008

http://www.inf.unisi.ch/carzaniga/

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